

Whorl arithmetic -- Fibonacci sequence

The Urth list — 4 messages, 3 voices, 03 Jul 2008

<https://urth.darkrealm.vip/thread/urth/5085>

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Dave Tallman — 03 Jul 2008, 20:43

In CotLS chapter 5, Maytera Marble/Rose thinks "... as predictably as the sixth term in a Fibonacci series of ten was an eleventh of the whole."

This is peculiar, because the Fibonacci series is:

1. 1
2. 1
3. 2
4. 3
5. 5
6. 8
7. 13
8. 21
9. 34
10. 55

The sum of the first ten terms is $143 = 11 \times 13$, so it's the seventh term that is the eleventh of the whole, not the sixth. The sum of the first nine terms is $88 = 11 \times 8$, which means the sixth term is the eleventh of the whole, as stated.

In base 9, our nine is represented as 10. To make the statement correct, we have to translate the "series of ten" in base-9 arithmetic and the "eleventh" in the decimal system.

Did the Maytera make a mistake, or did Wolfe, or should we revive the old base-9 controversy about Whorl arithmetic? There's another passage where the children seemingly make trivial arithmetic mistakes, as pointed out by Borski.

In *_Nightside the Long Sun_*, on p. 29, Wolfe has Maytera Marble presiding

over a mathematics lesson, "watching the children take nineteen from twenty-nine and get nine, add seven and seventeen and get twenty-three."

This, however, is only possible in a base 9 numbering system, and a strange one at that, since a conventional base 9 system would only include the digits 0 to 8 (there should thus no 9, 19, or 29).

Both statements could be correct if done in base 9, provided we solved the "9" representation problem and allow mixed translations:

$(28+1)(\text{base } 9) - (18+1)(\text{base } 9) = 9 \text{ (decimal)}$

$7(\text{base } 9) + 17(\text{base } 9) = 23 \text{ (decimal)}$

There might be some more clues involving costs with cards and bits, if we look for them.

John Smith — 03 Jul 2008, 20:57 · in reply to Dave Tallman

I thought that this was just a joke. The teacher is getting old and making mistakes.

--- Dave Tallman <davetallman at msn.com> wrote:
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Paul Zinn-Justin — 04 Jul 2008, 04:12 · in reply to Dave Tallman

Hi,

First post here, as a mathematician I felt compelled to respond... Unfortunately your base 9 theory does not work. The reason is, note that in your quote it is never mentioned that one should consider only the *first* terms of the Fibonacci series. In fact, the correct property is "the 7th term in any sequence of 10 successive numbers from the Fibonacci series is the eleventh of the sum of the sequence" however, if you replace 10 with 9 and 7 with 6, the property is no more true. (in other words, the equality you mention with 88 is a coincidence).

Paul

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Dave Tallman — 04 Jul 2008, 13:20 · in reply to Paul Zinn-Justin

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Hi Paul, thanks for posting. I can see how it works when I write it out symbolically (a, b, a+b, a+2b,...).

It looks like Maytera Marble's mistake -- possibly from her aging memory or from confusion after her merge with Rose.

It's still an open question if another base might be used. I think not. There's a place where Marble compares her strength to another chem and says it is 4.25 times stronger than she is. That's a nice fraction in base 10, but not in base 9.

The number of bits to a card might be 9, though. They are "small squares sheared from so many cards" (Lake 2). If cards themselves are square then the number of bits per card should be a square number too. They wouldn't want to waste the precious card material, and they can't make too many cuts per card.